Package: fractD (via r-universe)

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Title Estimation of Fractal Dimension of a Black Area in 2D and 3D (Slices) Images
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Description Estimate the of fractal dimension of a black area in 2D and 3D (slices) images using the box-counting method. See Klinkenberg B. (1994) <doi:10.1007 bf02065874="">.</doi:10.1007>
License GPL-3
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fract2D

Description

This function calculates the fractal dimension of a black area in a bidimensional image using the method of box-counting.

Usage

```
fract2D(dir = NULL, box.size = NULL, save.dir = NULL, save.name = NULL)
```

Arguments

dir	Specify a folder containing the image/s to be analysed.
box.size	A vector specifing the box size steps (in pixel) to be used to calculate frac- tal dimension. By default (NULL) box.size = $c(1,2,4,8,16,32,64,128,256,512)$. Minimun box size cannot be less then 1, corresponding to 1 pixel of the image. Box size steps must be integer.
save.dir	Optional. Set the name of an output folder to save the data as *.rds.
save.name	Optional. Provide a name for the output data.

Details

The fuction calculates the fractal dimension (D) by the method of box-counting. Box-counting method is useful to calculate the fractal dimension of various sets of any dimension and patterns with or withouth self-similarity (Klinkenberg, 1994). The method overlay a series of squares of different size (box.size), with minimun box size that is equal to the resolution of the image. Then, for each box size step the function keep track of the number of squares occupied by the black area into the image. Finally, fractal dimension (D) is estimated by linear regression of log(n°boxes) on log(box.size).

Value

fract2D returns a list containing the following components:

D - A dataframe with the estimated fractal dimension.

raw.dat - A dataframe with the raw data used to calculate the fractal dimension. The data frame contains the name of the image (id), the box size steps (box.size), and the number of boxes for each box size step (box).

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Note

The function analyze the fractal dimension of a black area into an image. Then, the images must be converted in black and white before analysis.

Usually, the box sizes should change as a function of a power of two so that they will be evenly spaced in the log space. However, this can result in too few points to fit linear regression. Therefore, according to Dubuc et al. (1989) the function allow to use box.size from 1 to +inf not necessarly with dyadic step.

References

- Mandelbrot B.B. (1982) The fractal Geometry of Nature. San Francisco: W.H. Freman.
- Klinkenberg B. (1994) A Review of methods used to determine the fractal dimension of linear *features*. Mathematical Geology, vol. 26, n° 1. doi: 10.1007/BF02065874
- Dubuc B., Quiniou J.F., Roques-Carmes C., Tricot C., Zucker S.W. (1989) Evaluating the fractal dimension of profiles. Physical Review A, vol. 39, n° 3. doi: https://doi.org/10.1103/PhysRevA.39.1500

See Also

fract3D to estimate the fractal dimension of a 3D (sliced) image/s.

Examples

End(Not run)

fract3D

Calculates the fractal dimension of a 3D (sliced) image

Description

This function calculates the fractal dimension of a black area in a three-dimensional image using the method of box-counting.

Usage

```
fract3D(
    dir = NULL,
    box.size = NULL,
    dist.slice = NULL,
    save.dir = NULL,
    save.name = NULL
)
```

Arguments

dir	Specify a directory containing the folder/s with the image/s to be analysed.
box.size	A vector specifing the box size steps (in pixel) to be used to calculate frac- tal dimension. By default (NULL) box.size = $c(1,2,4,8,16,32,64,128,256,512)$. Minimun box size cannot be less then 1, corresponding to 1 pixel of the image. Box size steps must be integer.
dist.slice	The distance between slices. By default (NULL) dist.slice = 1. Distance be- tween slice must be an integer number.
save.dir	Optional. Set the name of an output folder to save the data as *.rds.
save.name	Optional. Provide a name for the output data.

Details

The fuction calculates the fractal dimension (D) of a 3D image by the method of box-counting. Box-counting method is useful to calculate the fractal dimension of various sets of any dimension and patterns with or withouth self-similarity (Klinkenberg, 1994). The method overlay a series of cubes of different size (box.size x box.size x boxsize), with minimum size that is equal to the resolution of the image. Then, for each box size step the function keep track of the number of cubes occupied by the black area into the image. Finally, fractal dimension (D) is estimated by linear regression of $log(n^{\circ}boxes)$ on log(box.size).

Value

fract3D returns a list containing the following components:

D - A dataframe with the estimated fractal dimension.

raw.dat - A dataframe with the raw data used to calculate the fractal dimension. The data frame contains the name of the image (id), the box size steps (box.size), and the number of boxes for each box size step (box).

Note

The function analyze the fractal dimension of a black area into an image. Then, the images must be converted in black and white before analysis.

IMPORTANT: images slices must be numerated as 00, 01,02 ... 10, 11 etc...

Usually, the box sizes should change as a function of a power of two so that they will be evenly

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spaced in the log space. However, this can result in too few points to fit linear regression. Therefore, according to Dubuc et al. (1989) the function allow to use box.size from 1 to +inf not necessarily with dyadic step.

References

- Mandelbrot B.B. (1982) The fractal Geometry of Nature. San Francisco: W.H. Freman.
- Klinkenberg B. (1994) A Review of methods used to determine the fractal dimension of linear features. Mathematical Geology, vol. 26, n° 1. doi: 10.1007/BF02065874
- Dubuc B., Quiniou J.F., Roques-Carmes C., Tricot C., Zucker S.W. (1989) Evaluating the fractal dimension of profiles. Physical Review A, vol. 39, n° 3. doi: https://doi.org/10.1103/PhysRevA.39.1500
- Taud H and Parrot J-F (2005) Measurement of DEM roughness using the local fractal dimension. Géomorphologie: relief, processus, environnement: 4, 327-338. doi: 10.4000/geomorphologie.622

See Also

fract3D to estimate the fractal dimension of a 3D (sliced) image/s.

Examples

Not run:

```
# The example below calculates the fractal dimension of 3D sliced image/s
```

```
# contained into folder/s that are placed into "source.dir".
```

Then, a file named "res.rds" is saved into the "output" folder.

```
# The distance between sliced image is 10 px.
```

fct3D\$D # a data frame with the estimated fractal dimension fct3D\$raw.dat # the raw data from which fractal dimension was calculated

End(Not run)

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